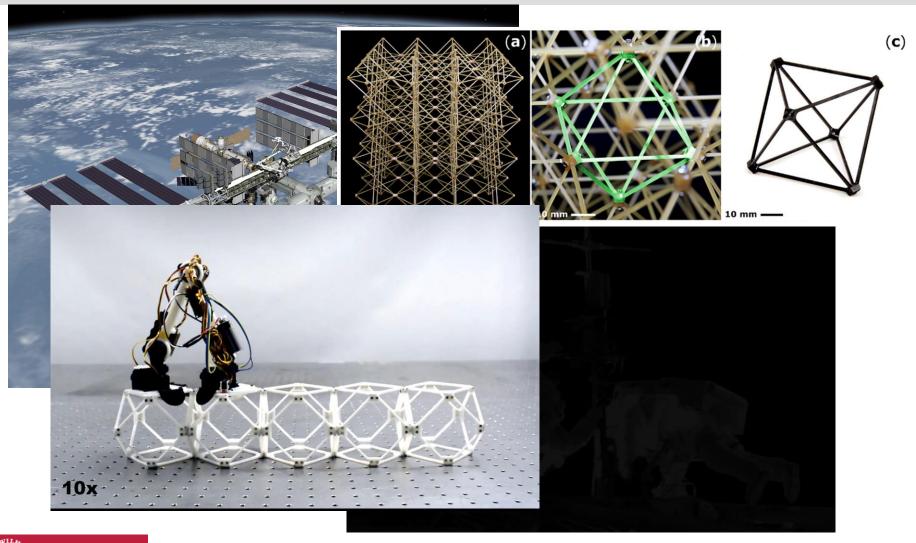


# Recognition and Reconfiguration of Lattice-Based Cellular Structures by Simple Robots

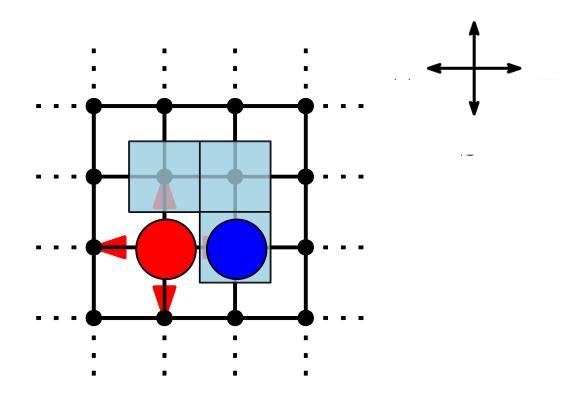
Amira Abdel-Rahman, Aaron T. Becker, Daniel E. Biediger, Kenneth C. Cheung, Sándor P. Fekete, Benjamin Jenett, **Eike Niehs**, Christian Scheffer, Arne Schmidt, and Mike Yannuzzi

#### **Motivation**





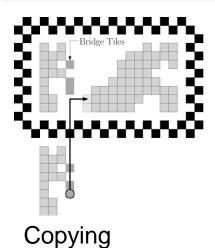
#### **Robots-on-Tiles Model**

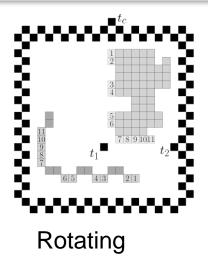


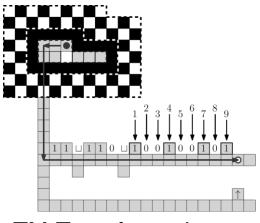
#### CADbots: Algorithmic Aspects of Manipulating Programmable Matter with Finite Automata

Sándor P. Fekete<sup>1</sup>, Robert Gmyr<sup>2</sup>, Sabrina Hugo<sup>1</sup>, Phillip Keldenich<sup>1</sup>, Christian Scheffer<sup>1</sup>, and Arne Schmidt<sup>1</sup>

<sup>1</sup>Department of Computer Science, TU Braunschweig, Germany. {fekete, hugo, keldenich, scheffer, aschmidt}@ibr.cs.tu-bs.de <sup>2</sup>Department of Computer Science, University of Houston, USA rgmyr@uh.edu



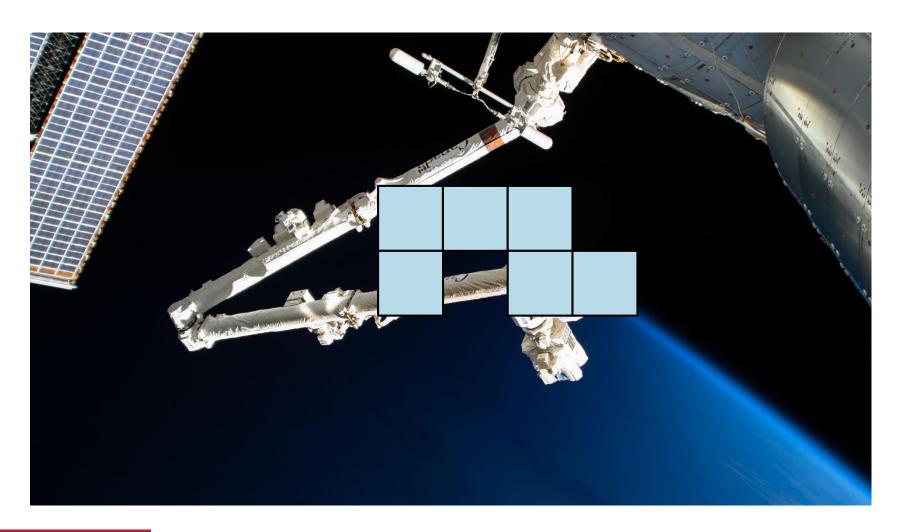




**TM-Transformation** 

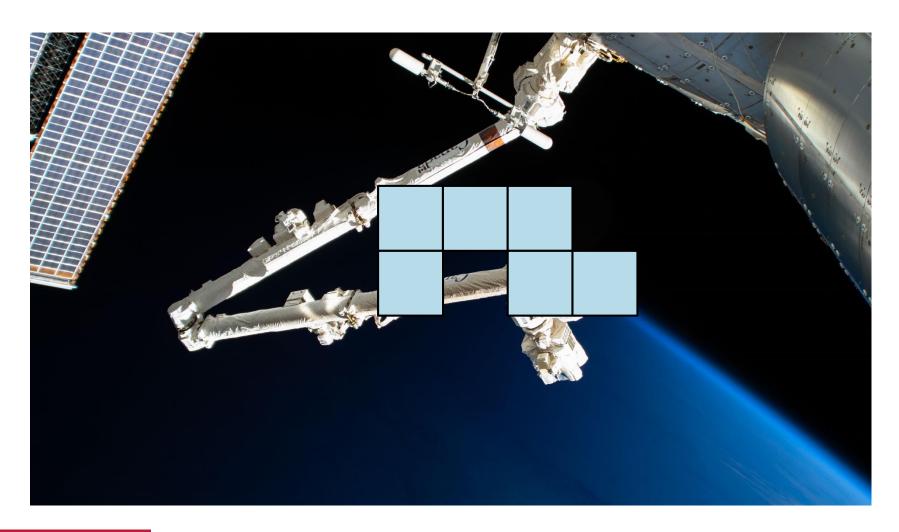


## Why should we care about connectivity?



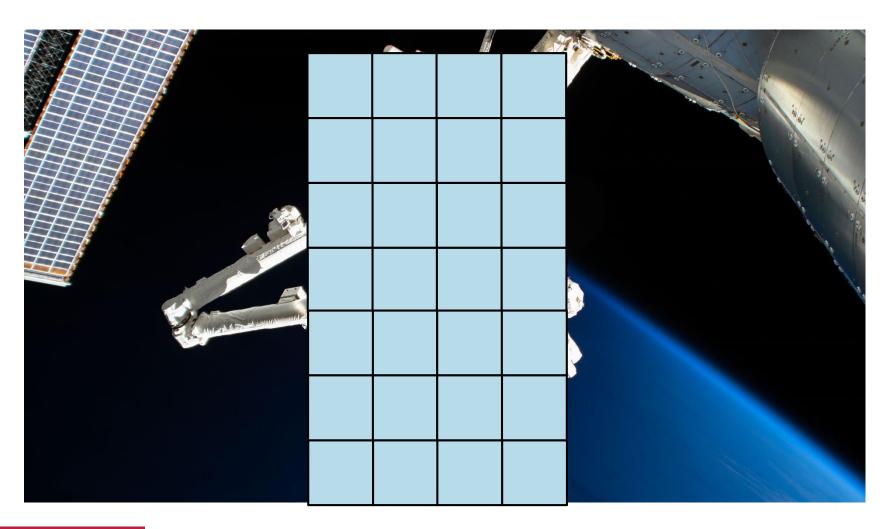


## Why should we care about connectivity?





## Why should we care about connectivity?



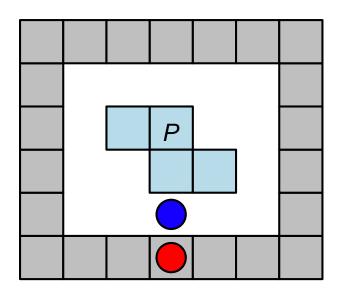


#### 1. Constructing a Bounding Box

Given: A polyomino P.

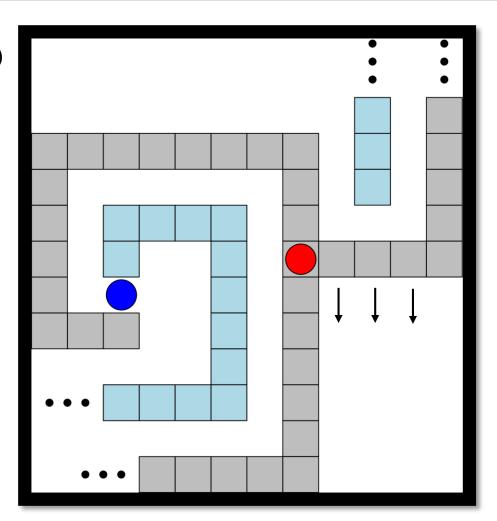
**Wanted**: A rectangular box that surrounds *P*.

**Constraint**: The union of all tiles and all robots has to be connected at any time.



#### **Constructing a Bounding Box**

- Two robots (one as a special marker)
- 3 phases:
- 1. Finding a start position
- 2. Construction
  - Clockwise
  - Shifting
    - Conflict on starting edge
  - Hit a bounding box tile
- 3. Clean-Up (Finishing)

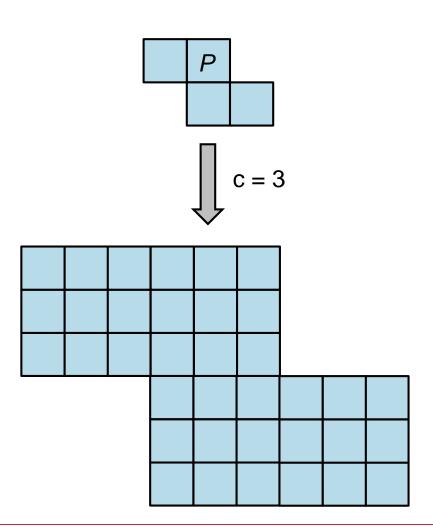




**Given**: A polyomino *P*, a constant *c*.

**Wanted**: Scale every tile of *P* by the constant factor *c*.

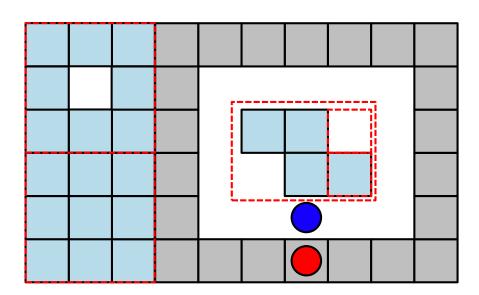
**Constraint**: The union of all tiles and all robots has to be connected at any time.



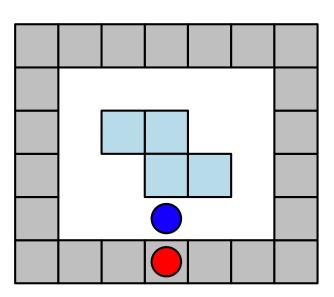
Pre-Step: Bounding box

#### Idea:

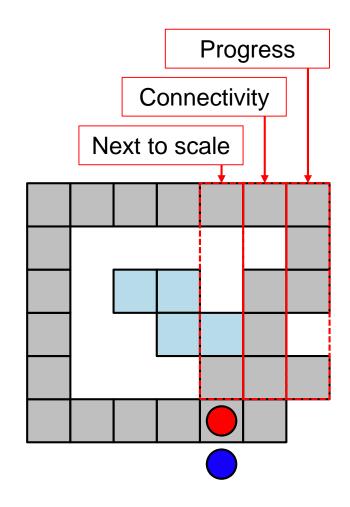
- For every node within the bounded area:
  - Place a  $c \times c$  square
  - Marker for empty nodes of P

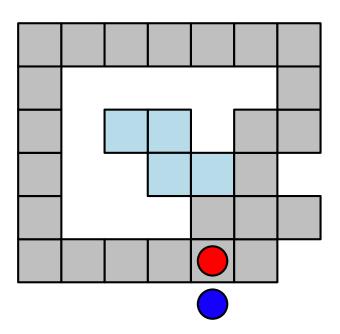


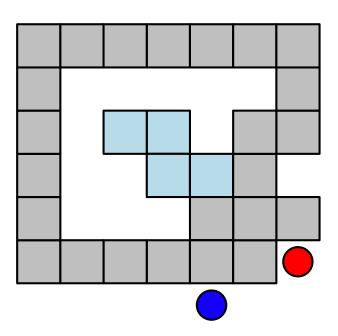
#### 1. Preparation

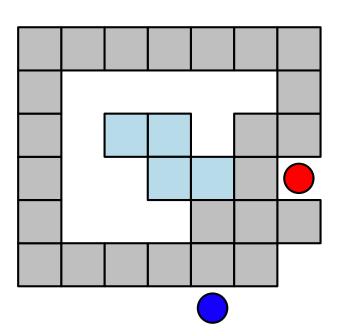


#### 1. Preparation

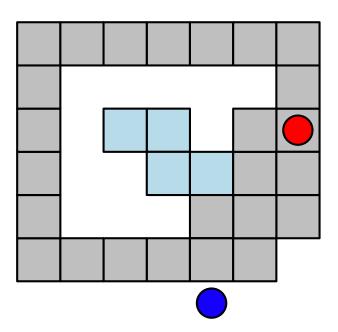


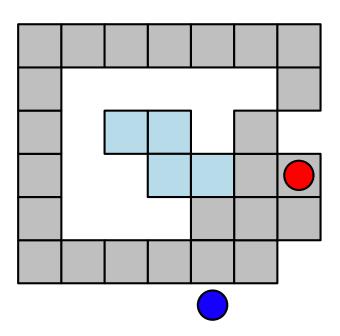


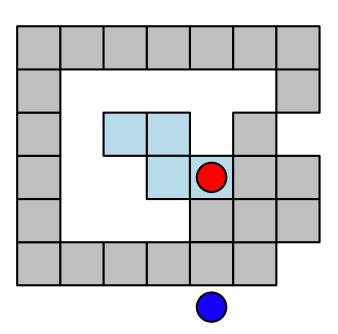


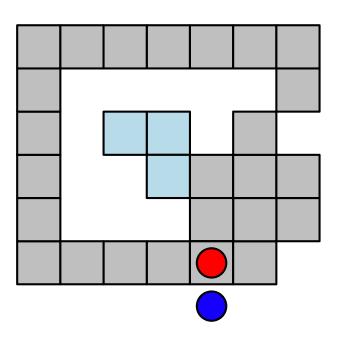


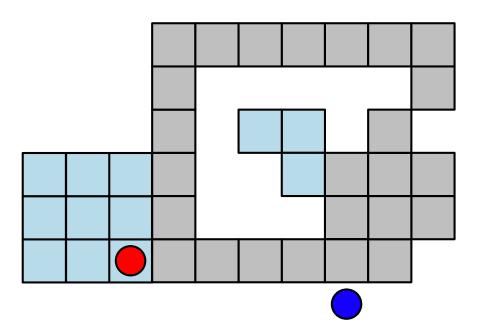


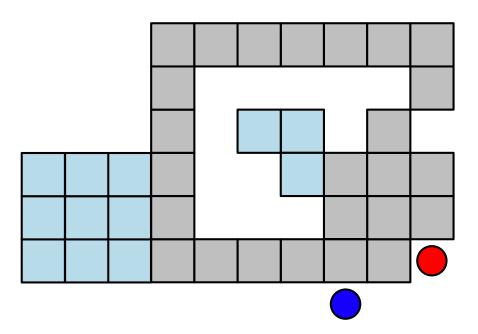


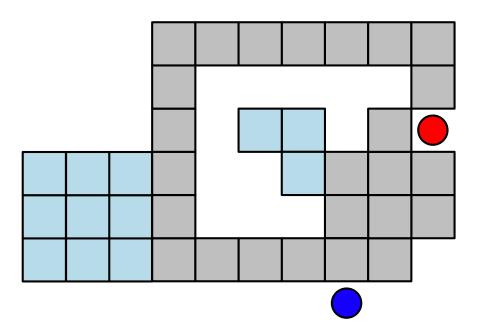




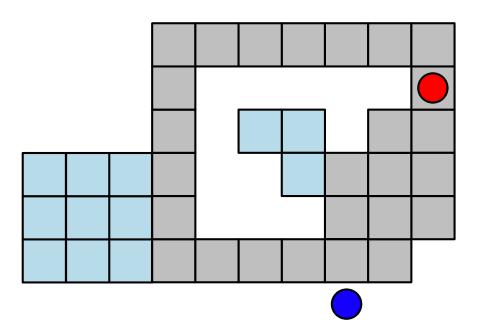


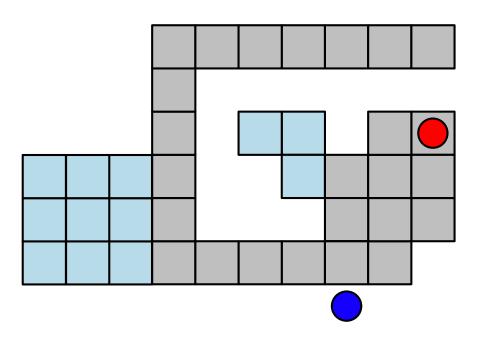


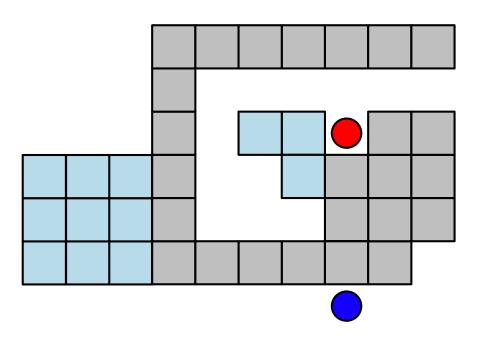


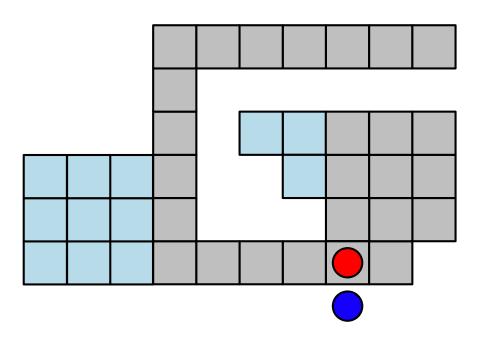


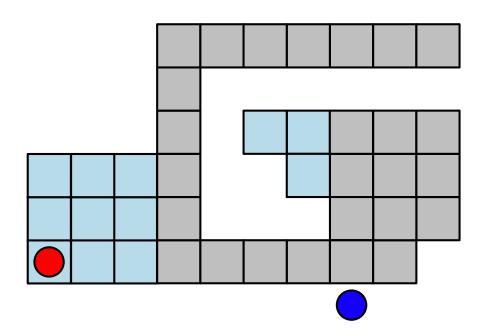


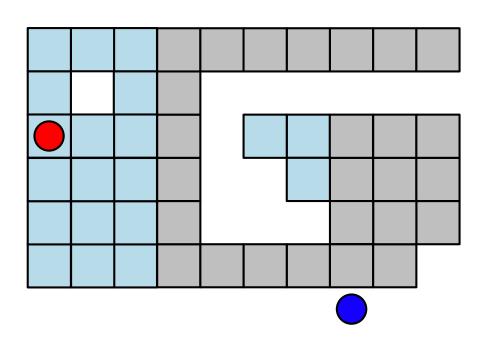


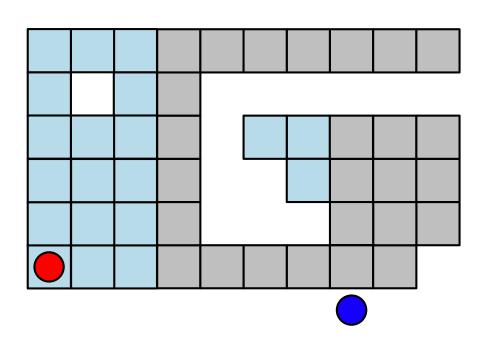


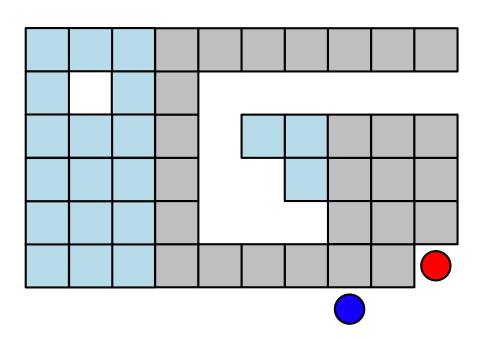


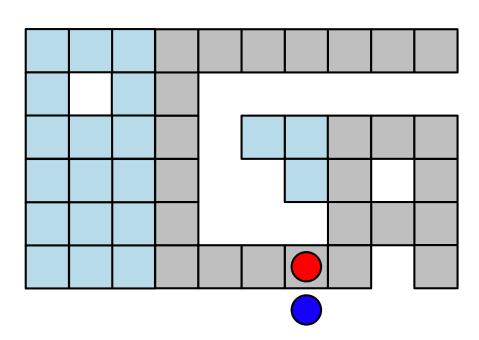


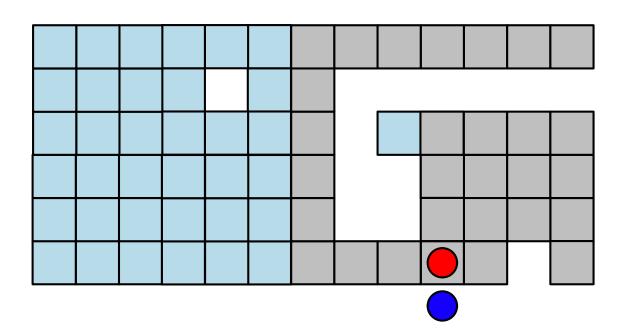




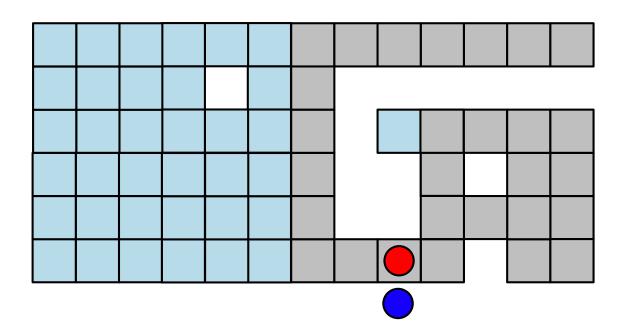




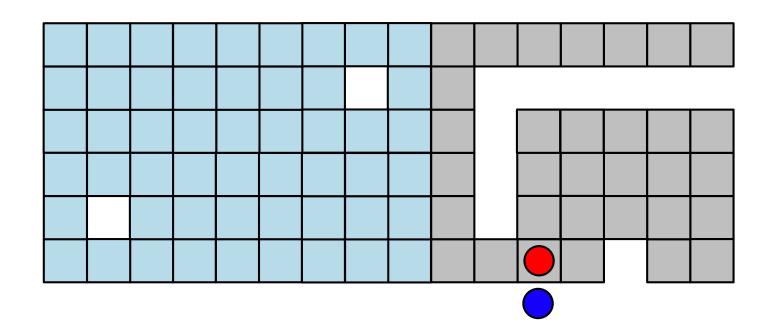


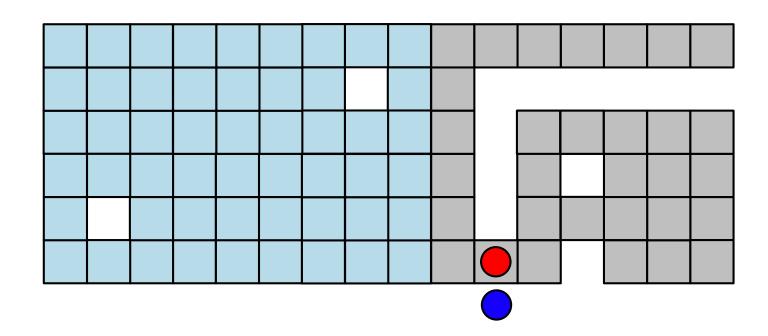






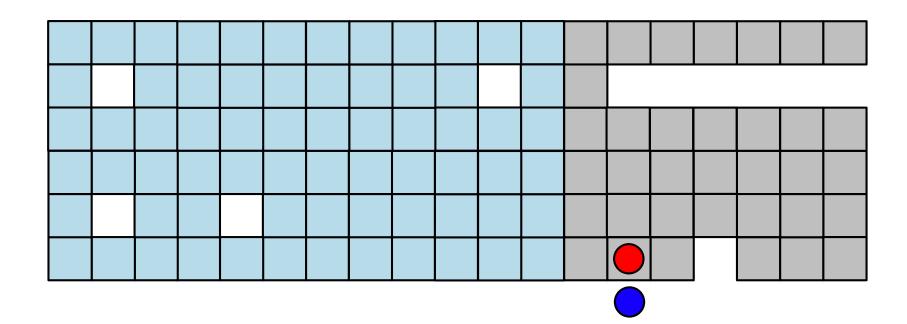






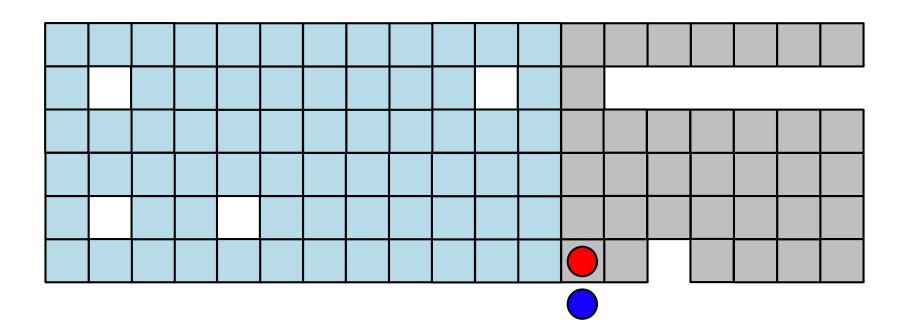


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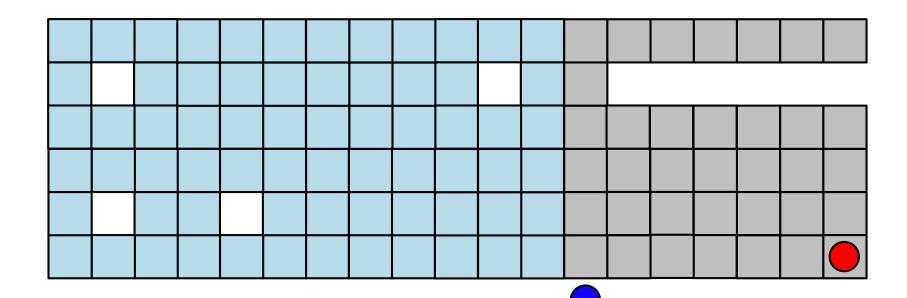


1. Preparation  $\rightarrow$  **2. Scaling** 



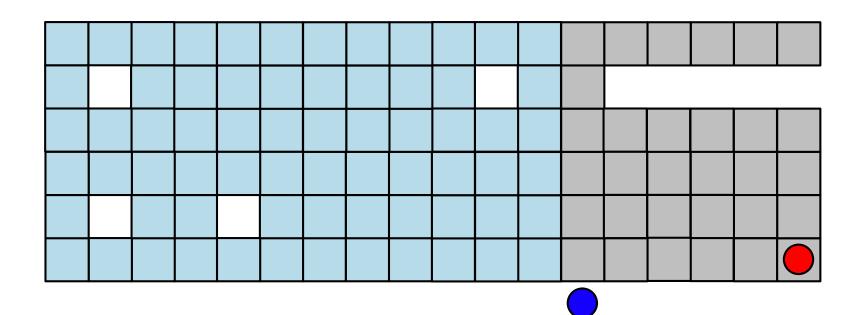


1. Preparation  $\rightarrow$  2. Scaling



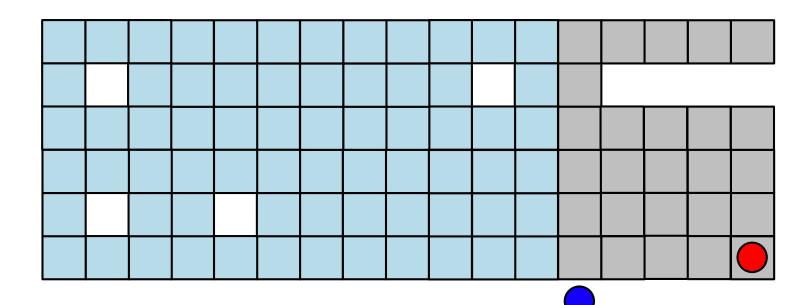


1. Preparation  $\rightarrow$  2. Scaling



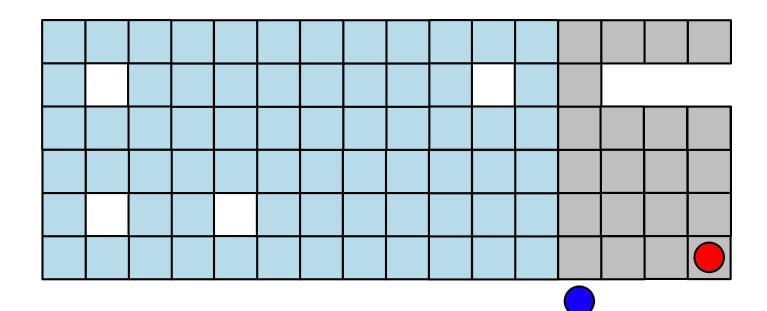


1. Preparation  $\rightarrow$  2. Scaling



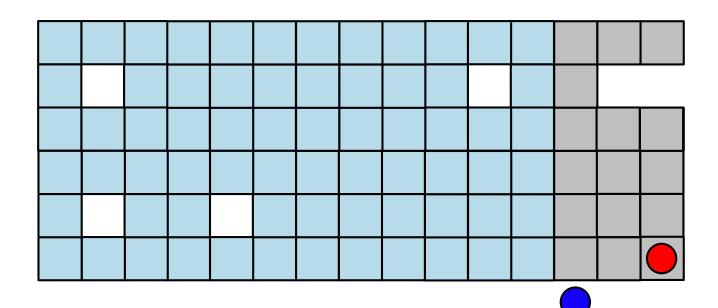


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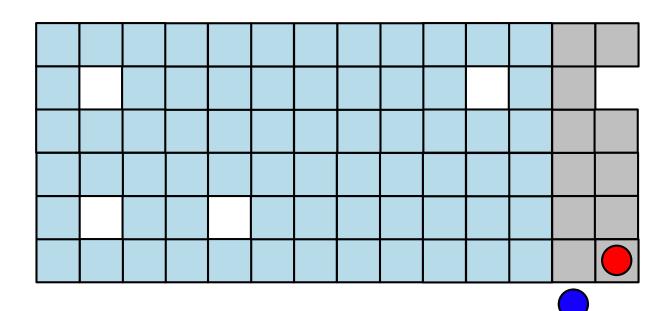


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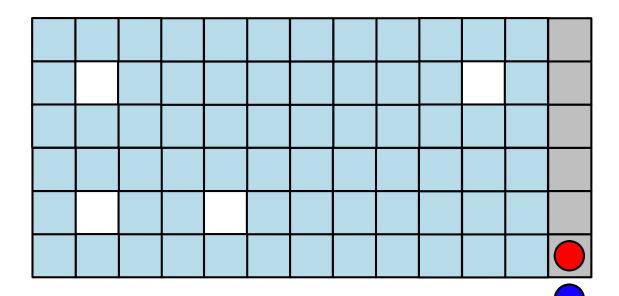


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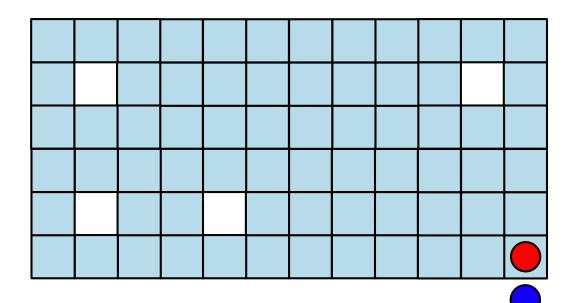


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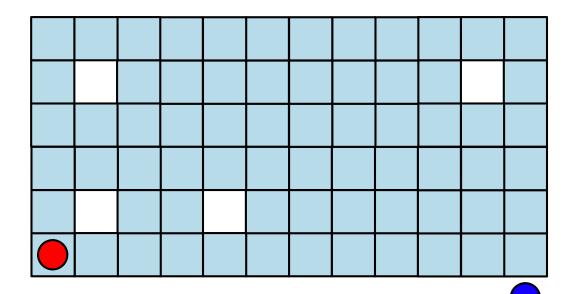


1. Preparation  $\rightarrow$  2. Scaling



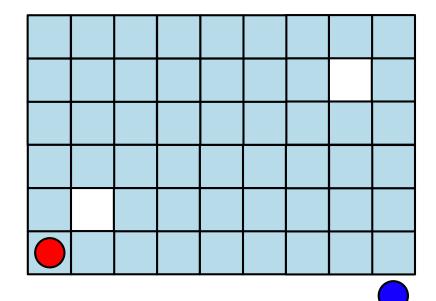


1. Preparation  $\rightarrow$  2. Scaling



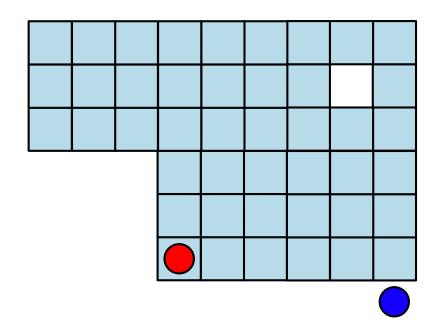


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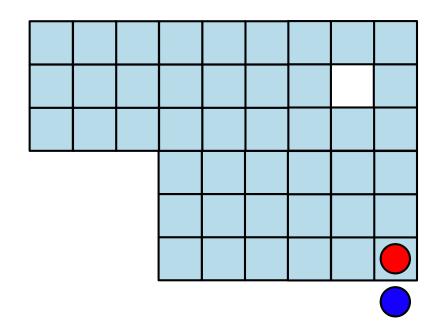


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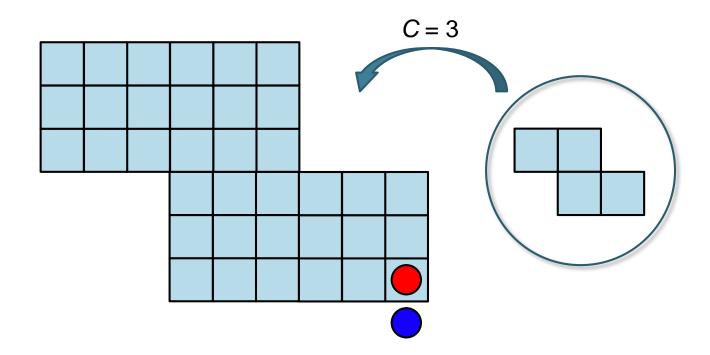


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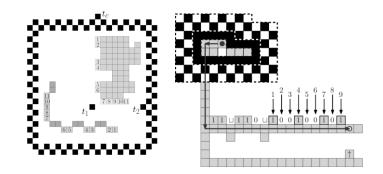


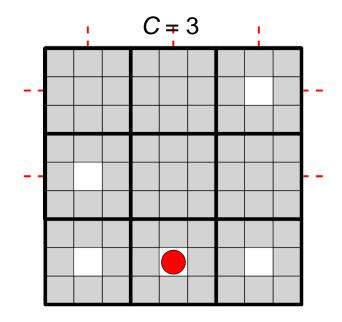
1. Preparation  $\rightarrow$  2. Scaling



#### **Adapting Algorithms**

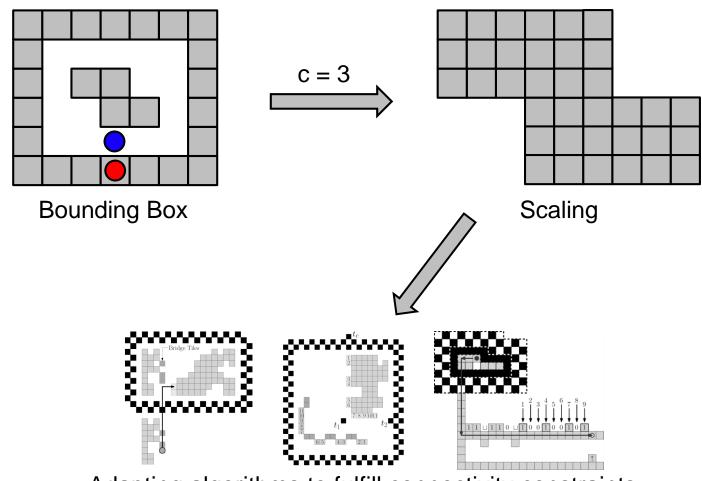
- Given any Robots-on-Tiles algorithm A
- We construct an algorithm A' that ensures connectivity:
  - 1. Scale P by a factor c
  - 2. c steps in A' for every step in A
  - 3. Fill rows/columns with  $c \times c$  segments, when it is first entered.







#### **Summary**







# **Proof of Concept**

